# Course Number and Name

**BMA301 - MATHEMATICS – III** 

Credits and Contact Hours

## 4 & 75

Course Coordinator's Name

Dr.Ramya

### Text Books and References

## **TEXT BOOKS:**

- 1. Kandasamy, P., Thilakavathy, K. and Gunavathy.K. "Engineering Mathematics ", Vol II& III (4th revised edition ) S Chand and co. , New Delhi, 2001.
- Narayanan.S , Manicavachangam pillay ,.T.K., Ramanaiah, G. " Advanced Mathematicsfor Engineering Students ", Vol II & III (2nd Edition), S.Viswanathan (Printers and Publishers Pvt Ltd) 1992.
- 3. Venkatraman, M.K. "Engineering Mathematics" Vol III A&B , 13thEdition National Publishing Company , Chennai 2002

#### **Course Description**

- To introduce Fourier series analysis this is central to many applications in engineering apart from its use in solving boundary value problems.
- To acquaint the student with Fourier transform techniques used in wide variety of situations.
- To introduce the effective mathematical tools for the solutions of partial differential equations that model several physical processes
- To develop Z transform techniques for discrete time systems.

| Prerequisites   | Co-requisites |  |  |  |  |  |  |  |
|---|---------------|--|--|--|--|--|--|--|
| Mathematics II  | NIL           |  |  |  |  |  |  |  |
| required, elective, or selected elective (as per Table 5-1) |               |  |  |  |  |  |  |  |
|   |               |  |  |  |  |  |  |  |

| Course Outcomes (COs)  |         |  |   |   |   |   |   |   |   |   |   |   |  |
|--|---------|--|---|---|---|---|---|---|---|---|---|---|--|
|  | CO1     | To learn the problem solving methods in linear differential equations                  |   |   |   |   |   |   |   |   |   |   |  |
|  | CO2     | To learn Dirichlet's condition and operations using Fourier series                     |   |   |   |   |   |   |   |   |   |   |  |
|  | CO3     | To have a clear understanding about 2 <sup>nd</sup> order equations and wave equations |   |   |   |   |   |   |   |   |   |   |  |
|  | CO4     | Properties of Laplace transform and problem solving using it                           |   |   |   |   |   |   |   |   |   |   |  |
|  | CO5     | Properties of Fourier transform and problem solving using it                           |   |   |   |   |   |   |   |   |   |   |  |
| Student Outcomes (SOs) from Criterion 3 covered by this Course |         |  |   |   |   |   |   |   |   |   |   |   |  |
|  | COs/SOs | a  | b | с | d | e | f | g | h | i | j | k |  |
|  | CO1     | М  |   |   |   |   |   |   |   |   |   |   |  |
|  | CO2     |  | М | Н |   | Н |   |   |   |   |   |   |  |
|  | CO3     |  | М |   | Н |   |   |   |   |   |   |   |  |

|   | CO4                   | Н |  |  | М |   |  |     |  |     |  |  |  |
|---|-----------------------|---|--|--|---|---|--|-----|--|-----|--|--|--|
|   | CO5                   | Н |  |  | М | Н |  |     |  |     |  |  |  |
| List of Topics Covered  |                       |   |  |  |   |   |  |     |  |     |  |  |  |
| UNIT I PARTIAL DIFFERENTIAL EQUATIONS   |                       |   |  |  |   |   |  | 9+6 |  |     |  |  |  |
| Formation – Solution of Standard types of first order equations – Lagrange's equation – Linear partial differential equations of second and higher order with constant coefficients |                       |   |  |  |   |   |  |     |  |     |  |  |  |
| UN  | VIT II FOURIER SERIES |   |  |  |   |   |  |     |  | 9+6 |  |  |  |
| Dirichlet's conditions – General Fourier series- Half range sine and cosine series – Parse Val's identity – Harmonic analysis   |                       |   |  |  |   |   |  |     |  |     |  |  |  |

#### UNIT III BOUNDARY VALUE PROBLEMS

Classification of second order linear partial differential equations – solution of one – dimensional wave equations, one dimensional heat equations.

9+6

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9+6

#### UNIT IV LAPLACE TRANSFORMS

Transforms of simple functions – basic operational properties – transforms of derivatives and integrals – initial and final value theorems – inverse transforms – convolution theorem – periodic functions – applications of Laplace transforms for solving linear ordinary differential equation up to second order with constant coefficients and simultaneous equations of first order with constant coefficients.

#### UNIT V FOURIER TRANSFORMS

Statement of Fourier integral theorem – Fourier transform pairs – Fourier sine and cosine transforms – properties – transforms of simple functions – convolution theorem – Parse Val's identity